Graph Convolutional Encoders for Syntax-aware AMR Parsing

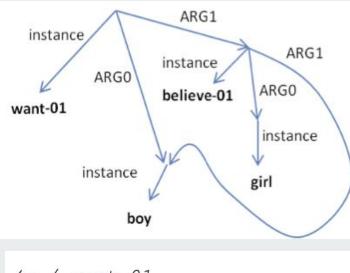
Master's Thesis by Ben Rozonoyer

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Introduction to AMR

- Sentence-level graph-based semantic representation
- Rooted, directed acyclic graph (DAG)
 - *Nodes*: variables for entities, events, properties, states
 - Edges: semantic roles & relations
 - Leaves: instantiations of the node variables
- AMR parse accuracy evaluated by smatch (semantic match)

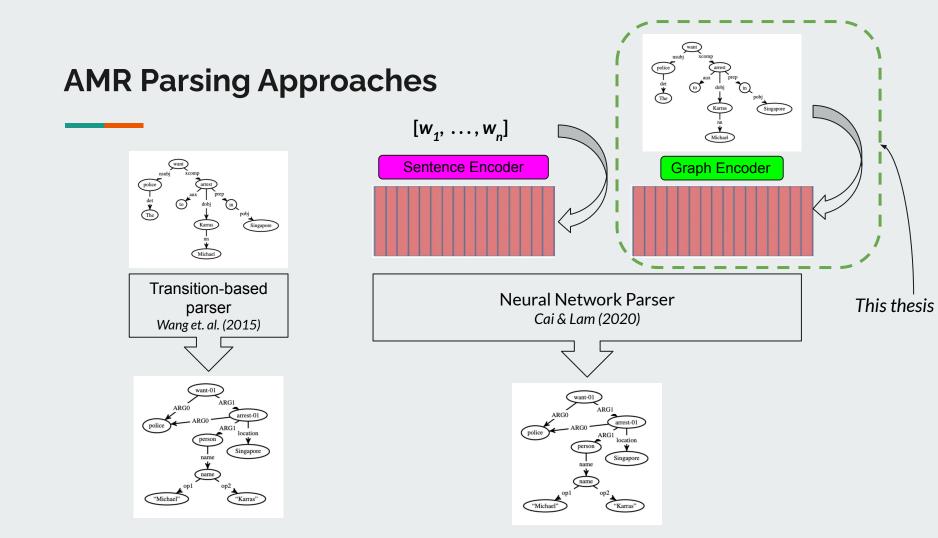
The boy wants the girl to believe him. The boy is desirous of the girl believing him.



(w / want-01 :ARG0 (b / boy) :ARG1 (b2 / believe-01 :ARG0 (g / girl) :ARG1 b))

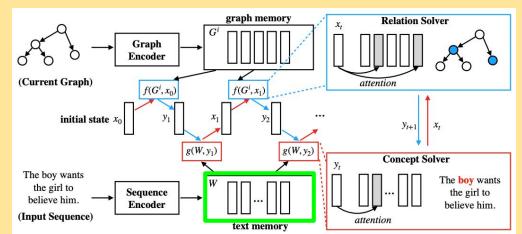
Approaches to AMR: graph, transition, seq2seq

	AMR 1.0	AMR 2.0
Flanigan et. al. (2014) Maximum spanning subgraph; Lyu et. al. (2018) graph prediction with latent alignment	58%; —	—; 74.4%
Wang et. al. (2015) Transition-based algorithm	63%	
Konstas et. al. (2017) sequence2sequence	62.1%	
Zhang et. al. (2019) Sequence-to-Graph Transduction	70.2%	76.3%
Cai & Lam (2020) Graph-Sequence Iterative Inference	75.4%	80.2%
Lee et. al. (2020) self-learning; Xu et. al. (2020) seq2seq pretraining	78.2% ; —	81.3%; 81.4%

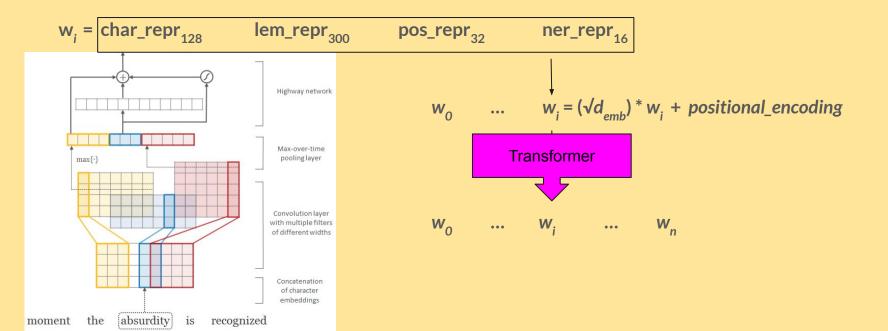


AMR Parsing via Graph↔Sequence Iterative Inference

- Series of graph expansion steps $G_0, \dots, G_1, \dots, G_N$
- At each step a **hypothesis/probe vector** iterates between <u>sentence encoding</u> and <u>current graph encoding</u> to refine decision about graph expansion step



Zooming in on the Sentence Encoder



Differences between Transformer & GCN

Our approach replaces Transformer encoder with GCN encoder to produce ``text memory"

• Transformer operates over *sequential input*, i.e. takes word sequence as input, and contextualizes every word on every other word in the sequence without exception

• GCN's take a *graph structure* directly as input (in our case the **dependency tree** of a sentence), and passes information only between connected nodes in the graph

Transformer

Every word queries every other word to obtain attention weights for each word in the sequence:

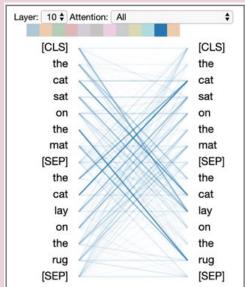
$$Attention(Q,K,V) = softmax(\frac{QK^{T}}{\sqrt{d_{k}}})V$$

This is done for each attention head:

$$MultiHead(Q, K, V) = Concat(head_1, ..., head_h)W^O$$

where $head_i = Attention(QW_i^Q, KW_i^K, VW_i^V)$

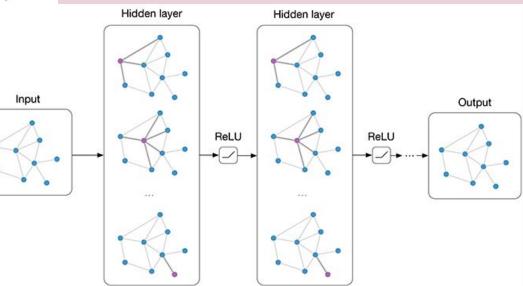
Treats the sentence like a complete graph



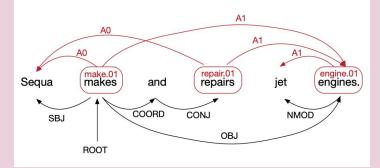
Graph Convolutional Networks (GCNs)

Input: $\mathcal{G} = (\mathcal{V}, \mathcal{E}) \quad \forall v \in \mathcal{V} : (v, v) \in \mathcal{E}$

$$\Rightarrow \mathbf{h}_{v} = \rho(\sum_{u \in \mathcal{N}(v)} W \mathbf{x}_{u} + \mathbf{b})$$
$$\Rightarrow \mathbf{h}_{v}^{(j+1)} = \rho(\sum_{u \in \mathcal{N}(v)} W^{(j)} \mathbf{h}_{u}^{(j)} + \mathbf{b}^{(j)})$$



Why GCNs for AMR Parsing?



Syntax can inform semantic NLP tasks

Correlation between dependency structure and argument structure for SRL

GCNs have been shown to be effective for multiple NLP tasks:

- □ Semantic Role Labeling (SRL)
- Neural Machine Translation (NMT)
- Event Detection

Marcheggiani & Titov (2017) Bastings et. al. (2017) Nguyen & Grishman (2018)

Hypothesis: GCNs for AMR Parsing

i) Similar to SRL and NMT, it's intuitive that **AMR Parsing can benefit from encoding syntactic graph** structure because:

- AMR is fully graph based (more complex than SRL)
- Dependency syntax is intermediary step towards AMR (Wang et. al. 2015)
- *ii*) GCN encoder is **more natural** architecture than Transformer for AMR
 - GCN passes information between two nodes connected by syntactic relation
 - Transformer views sentence as complete graph, learns noisy connections

GCNs to encode Dependency Parses

Intuitions about which aspects of dependency tree can be encoded by which aspects of GCN architecture:

	Dependency Tree GCN Encoder	
1	Depth	# GCN layers
2	Dependency relations	Edge weights
3	Average $\#$ children	Node neighborhood attention

Dependency Trees Statistics

	spaCy	Stanza
UAS	<mark>91.66</mark>	86.22
LAS	89.76	83.59

Accuracy of parsers

<u>spaCy</u>: pretrained on **OntoNotes** corpus <u>Stanza</u>: pretrained on **ewt Universal Dependencies** corpus

depth	0	1	2	3	4	5	6	7	8	9
spaCy	0.060	0.263	0.220	0.164	0.112	0.072	0.044	0.026	0.015	0.008
Stanza	0.058	0.271	0.251	0.183	0.112	0.061	0.030	0.015	0.007	0.003

Proportion of nodes at depth for spaCy-preprocessed AMR3.0

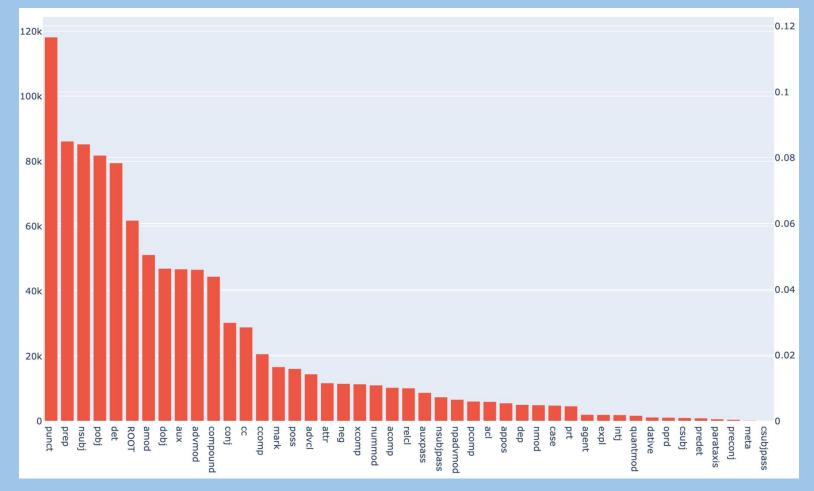
Dependency Parses Statistics contd.

# roots	1	2	3	4
spaCy	0.92	0.06	0.01	0.003
Stanza	0.94	0.04	0.005	0.001

Proportion of sentences with #roots

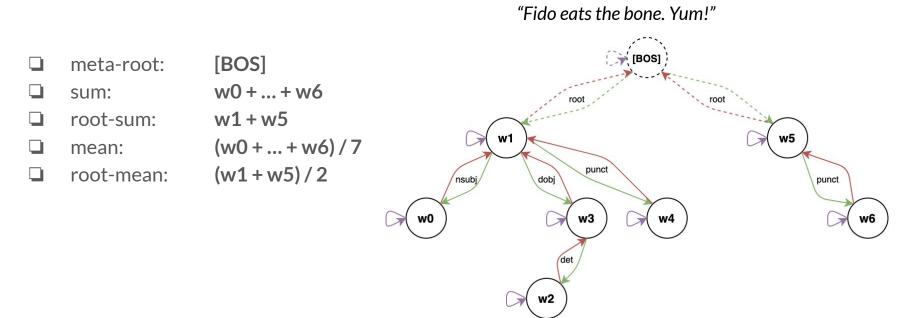
	#nodes	#parents	#children	$\mathbb{E}(\#$ children)
D = 0	60,809	60,802	267,365	4.39
D = 1	98,664	98,664	223,298	2.26
D=2	89,805	89,805	166,684	1.85

Expected #children at dependency tree depth



Dependency relation frequency for spaCy-preprocessed AMR 3.0

Graph Construction & "Probe" Aggregation Methods



Original Implementation: Baseline Transformer & BERT

Baseline

Use uncontextualized [BOS] embedding for probe

Use uncontextualized sentence embeddings for text memory

Remove positional encodings from Transformer input

Transformer 4 layers \times 8 heads	0.692
Transformer 1 layer \times 8 heads	0.664
Transformer 1 layer \times 1 head	0.546

Epochs	200	240	280	320	360	400
Transformer	0.677	0.682	0.683	0.686	0.691	0.692
Simple Probe	0.674	0.684	0.687	0.688	0.694	0.696
Simple Sentence	0.562	0.578	0.577	0.585	0.588	0.592
Positional Encoding	0.539	0.544	0.553	0.554	0.554	0.562
BERT	0.734	0.743	0.745	0.744	0.754	0.751

Ablation studies with *#* layers and *#* attention heads

GCN Configurations

i) GCN Baseline: No Edge Labels

$$\mathbf{h}_{v}^{(j+1)} = \rho(\sum_{u \in \mathcal{N}(v)} W^{(j)} \mathbf{h}_{u}^{(j)} + \mathbf{b})$$

ii) GCN Direction: Direct Inverse Self-Loop|dir| = 3

$$\mathbf{h}_{v}^{(j+1)} = \rho(\sum_{u \in \mathcal{N}(v)} W_{dir(u,v)}^{(j)} \mathbf{h}_{u}^{(j)} + \mathbf{b}_{dir(u,v)})$$

iii) GCN Label:

 $||ab|| = 2 \times |relations| + 1$

$$\mathbf{h}_{v}^{(j+1)} = \rho(\sum_{u \in \mathcal{N}(v)} W_{dir(u,v)}^{(j)} \mathbf{h}_{u}^{(j)} + \mathbf{b}_{lab(u,v)})$$

GCN Configurations contd.

iv) GCN Label Gating

$$g_{u,v}^{(j)} = \sigma(\mathbf{h}_u^{(j)} \cdot \hat{\mathbf{w}}_{dir(u,v)}^{(j)} + \hat{b}_{tab(u,v)}^{(j)})$$

scalar edge gate

$$\mathbf{h}_{v}^{(j+1)} = \rho(\sum_{u \in \mathcal{N}(v)} g_{(u,v)}^{(j)} (W_{dir(u,v)}^{(j)} \mathbf{h}_{u}^{(j)} + \mathbf{h}_{tab(u,v)}))$$

v) GCN Label' Gating

distinct weights for most frequent dependency relations

GCN Results

~~N	configur	cationa
7U.IN	configui	anons
	001110011	01010110

	200	360	520
GCN baseline	0.555 / 0.538	0.570 / 0.553	$0.575 \ / \ 0.562$
GCN direction	0.615 /	0.635 /	0.646 /
GCN label	0.620 / 0.606	0.642 / 0.626	0.647 / 0.637
GCN label gating	0.622 / 0.610	0.645 / 0.636	0.654 / 0.642
GCN label' gating	0.588 / —	0.608 / —	$0.617 \ / -$
Positional Encodin	ng 0.611 / -	- 0.634 /	0.639 / —

K=1	0.654 / 0.642
K=2	0.639 / 0.624
K=3	0.627 / 0.615

stacking GCN layers

meta-root	0.654 / 0.642
sum	0.657 / 0.643
root-sum	0.658 / 0.644
mean	0.655 / 0.644
root-mean	0.654 / 0.645

probe aggregation methods for 1 layer GCN label gating

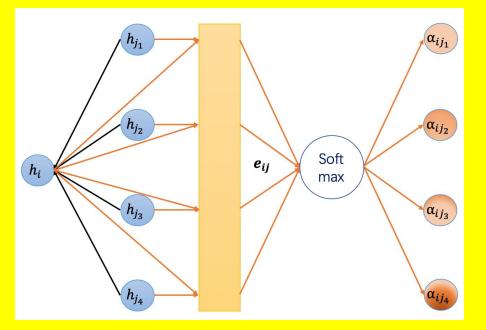
Graph Attention Networks (GATs)

 $z_i^{(l)} = W^{(l)} h_i^{(l)}$

$$e_{ij}^{(l)} = LeakyReLU(\overrightarrow{a}^{(l)^T}(z_i^{(l)}||z_j^{(l)}))$$

$$\alpha_{ij}^{(l)} = \frac{exp(e_{ij}^{(l)})}{\sum_{k \in \mathcal{N}(i)} exp(e_{ik}^{(l)})}$$

$$h_i^{(l+1)} = \rho(\sum_{j \in \mathcal{N}(i)} \alpha_{ij}^{(l)} z_j^{(l)})$$



GAT Enhancements

Create distinct additive attention vectors depending on edge type

GAT Direction: Direct Inverse Self-Loop

|dir| = 3

$$e_{ij}^{(l)} = LeakyReLU(\overrightarrow{a}_{dir(i,j)}^{(l)^T}(z_i^{(l)}||z_j^{(l)}))$$

GAT Label:

$$e_{ij}^{(l)} = LeakyReLU(\overrightarrow{a}_{lab(i,j)}^{(l)T}(z_i^{(l)}||z_j^{(l)}))$$

||ab| = 2 × | relations | + 1

GAT Results

	200	360	520
GAT baseline	0.556 / 0.545	0.590 / 0.580	0.595 / 0.587
GAT direction	0.555 / 0.546	0.583 / 0.570	0.586 / 0.579
GAT label	0.554 / 0.547	0.581 / 0.575	0.593 / 0.587

K=1	0.593 / 0.587
K=2	0.583 / 0.576
K=3	0.593 / 0.586

GAT configurations

stacking GAT layers

GCN with Transformer

GCN layer over Transformer output

Transformer
$$\rightarrow$$
 GCN | 0.674 / —

Transformer layer over GCN output

GCN
$$\rightarrow$$
 Transformer | 0.687 / 0.677

 Concatenate GCN and Transformer outputs, project onto embedding dimension

GCN || Transformer |
$$0.680 / 0.672$$

Backing off to BiLSTM Encoder

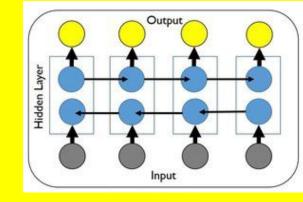
	200	360	520
$256 \rightarrow 512$	0.593 /	0.611 /	0.616 /
$512 \rightarrow 1024 \rightarrow 512$	0.595 /	0.614 /	0.611 /

Hidden size 256, BiLSTM output 512

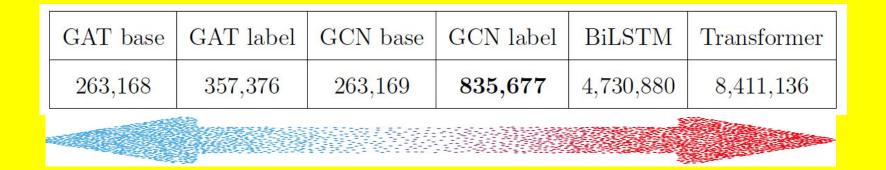
Hidden size 512 (original), project BiLSTM output back onto 512

	200	360	52 <mark>0</mark>
BiLSTM + GCN (K=1)	0.567 /	0.585 /	0.582 /
BiLSTM + GCN (K=2)	0.553 /	0.557 /	0.563 /
BiLSTM + GCN (K=3)	0.525 /	0.534 /	0.536 /

Effect of stacking GCN over BiLSTM



Parameter Count for Architectures



Graph encoders have an order of magnitude fewer parameters than sequence encoder configurations

Observations: Comparing with SRL, NMT, ED

- Common trends for all previous results:
 - \circ GCN brought improvement over baseline architecture ?
 - Stacking GCN layers monotonically increased performance in some setting X
 - Best result obtained with GCN on top of RNN encoder X
 - Syntactic GCN is the best GCN configuration 🗸

	SRL	NMT	Event Detection
Best GCN Configuration	LSTM + GCNs (K=1)	BiRNN + GCN (2L)	BiLSTM + GCNs (K = 2)

GCN Trends from Our Experiments

- Our best non-Transformer result with a single GCN layer without an RNN encoder
- Stacking additional GCN layers monotonically decreases performance
 - >1 hop neighborhood contributes more noise than signal?
 - we showed it's not important to get a "context vector"

Insights from GAT experiments

- All 3 considered GAT settings performed at most on par with baseline GCN:
 - GCN/GAT roughly equivalent over structured data that's not edge-labeled
 - E(#children) < 5, so attention distribution over them is not that useful comparing to datasets on which GAT performs state-of-the-art
 - edgewise gating, which depends only on the features of neighbor node and syntactic relation, is a more effective moderator of node's neighborhood

GCN / Transformer Insights

- GCNs largely redundant to the powerful Transformer model
- Multiheadedness is crucial to performance of Transformer
- Transformer, unlike GCN, plummets without injection of sinusoidal positional embeddings (drops 13%)

Conclusion

- GCN superior to BiLSTM as sentence encoder
- GCN runner-up to Transformer, and preferable in that:
 - requires order of magnitude fewer parameters
 - performance improves with real syntactic information
 - not crippled by absence of sequential information (i.e. actually relies on hierarchical representation of sentence)

Future Directions

- AMR Relation to Dependency Relation aligner to find better GCN config
 - Currently only AMR node to token alignment

- Visualize Transformer attention weights:
 - See if they correspond to dependency tree
 - Supervise Transformer weights with gold dependency tree

References

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Please refer to thesis for complete list of references – too many to provide here!